## Module

 2
## Mechanics of Machining (Metal Cutting)

## Lesson

3

## Geometry of single point cutting tools

## Instructional objectives

At the end of this lesson, the student should be able to :
(a) conceive rake angle and clearance angle of cutting tools
(b) classify systems of description of tool geometry
(c) demonstrate tool geometry and define tool angles in:

- Machine Reference System
- Orthogonal Rake System and
- Normal Rake System
(d) designate cutting tool geometry in ASA, ORS and NRS


## Geometry of single point turning tools

Both material and geometry of the cutting tools play very important roles on their performances in achieving effectiveness, efficiency and overall economy of machining.
Cutting tools may be classified according to the number of major cutting edges (points) involved as follows:

- Single point: e.g., turning tools, shaping, planning and slotting tools and boring tools
- Double (two) point: e.g., drills
- Multipoint (more than two): e.g., milling cutters, broaching tools, hobs, gear shaping cutters etc.


## (i) Concept of rake and clearance angles of cutting tools.

The word tool geometry is basically referred to some specific angles or slope of the salient faces and edges of the tools at their cutting point. Rake angle and clearance angle are the most significant for all the cutting tools.
The concept of rake angle and clearance angle will be clear from some simple operations shown in Fig. 3.1


Fig. 3.1 Rake and clearance angles of cutting tools.

Definition - - Rake angle ( $\gamma$ ): Angle of inclination of rake surface from reference plane

- clearance angle ( $\alpha$ ): Angle of inclination of clearance or flank surface from the finished surface
Rake angle is provided for ease of chip flow and overall machining. Rake angle may be positive, or negative or even zero as shown in Fig. 3.2.


Fig. 3.2 Three possible types of rake angles
Relative advantages of such rake angles are:

- Positive rake - helps reduce cutting force and thus cutting power requirement.
- Negative rake - to increase edge-strength and life of the tool
- Zero rake - to simplify design and manufacture of the form tools.

Clearance angle is essentially provided to avoid rubbing of the tool (flank) with the machined surface which causes loss of energy and damages of both the tool and the job surface. Hence, clearance angle is a must and must be positive ( $3^{\circ} \sim 15^{\circ}$ depending upon tool-work materials and type of the machining operations like turning, drilling, boring etc.)

## (ii) Systems of description of tool geometry

- Tool-in-Hand System - where only the salient features of the cutting tool point are identified or visualized as shown in Fig. 3.3. There is no quantitative information, i.e., value of the angles.
- Machine Reference System - ASA system
- Tool Reference Systems
* Orthogonal Rake System - ORS
* Normal Rake System - NRS
- Work Reference System - WRS
(iii) Demonstration (expression) of tool geometry in :
- Machine Reference System

This system is also called ASA system; ASA stands for American Standards Association. Geometry of a cutting tool refers mainly to its
several angles or slope of its salient working surfaces and cutting edges. Those angles are expressed w.r.t. some planes of reference. In Machine Reference System (ASA), the three planes of reference and the coordinates are chosen based on the configuration and axes of the machine tool concerned.
The planes and axes used for expressing tool geometry in ASA system for turning operation are shown in Fig. 3.4.


Fig. 3.3 Basic features of single point tool (turning) in Tool-in-hand system


Fig. 3.4 Planes and axes of reference in ASA system

The planes of reference and the coordinates used in ASA system for tool geometry are :

$$
\pi_{R}-\pi_{X}-\pi_{Y} \text { and } X_{m}-Y_{m}-Z_{m}
$$

where,
$\pi_{\mathrm{R}}=$ Reference plane; plane perpendicular to the velocity vector (shown in Fig. 3.4)
$\pi_{\mathrm{X}}=$ Machine longitudinal plane; plane perpendicular to $\pi_{\mathrm{R}}$ and taken in the direction of assumed longitudinal feed
$\pi_{Y}=$ Machine Transverse plane; plane perpendicular to both $\pi_{R}$ and $\pi_{\mathrm{X}}$ [This plane is taken in the direction of assumed cross feed]
The axes $X_{m}, Y_{m}$ and $Z_{m}$ are in the direction of longitudinal feed, cross feed and cutting velocity (vector) respectively. The main geometrical features and angles of single point tools in ASA systems and their definitions will be clear from Fig. 3.5.


Fig. 3.5 Tool angles in ASA system
Definition of:

- Rake angles: [Fig. 3.5] in ASA system
$\gamma_{x}=$ side (axial rake: angle of inclination of the rake surface from the reference plane ( $\pi_{R}$ ) and measured on Machine Ref. Plane, $\pi_{X}$.
$\gamma_{y}=$ back rake: angle of inclination of the rake surface from the reference plane and measured on Machine Transverse plane, $\pi_{Y}$.
- Clearance angles: [Fig. 3.5]
$\alpha_{x}=$ side clearance: angle of inclination of the principal flank from the machined surface (or $\overline{\mathrm{V}_{\mathrm{c}}}$ ) and measured on $\pi_{\mathrm{X}}$ plane.
$\alpha_{y}=$ back clearance: same as $\alpha_{x}$ but measured on $\pi_{Y}$ plane.
- Cutting angles: [Fig. 3.5]
$\phi_{\mathrm{S}}=$ approach angle: angle between the principal cutting edge (its projection on $\pi_{R}$ ) and $\pi_{Y}$ and measured on $\pi_{R}$
$\phi_{\mathrm{e}}=$ end cutting edge angle: angle between the end cutting edge (its projection on $\pi_{R}$ ) from $\pi_{X}$ and measured on $\pi_{R}$
- Nose radius, $r$ (in inch)
$r=$ nose radius: curvature of the tool tip. It provides strengthening of the tool nose and better surface finish.


## - Tool Reference Systems

- Orthogonal Rake System - ORS

This system is also known as ISO - old.
The planes of reference and the co-ordinate axes used for expressing the tool angles in ORS are:
$\pi_{R}-\pi_{c}-\pi_{0}$ and $X_{o}-Y_{o}-Z_{0}$
which are taken in respect of the tool configuration as indicated in Fig. 3.6


Fig. 3.6 Planes and axes of reference in ORS
where,
$\pi_{\mathrm{R}}=$ Refernce plane perpendicular to the cutting velocity vector, $\overline{\mathrm{V}_{\mathrm{C}}}$
$\pi_{C}=$ cutting plane; plane perpendicular to $\pi_{R}$ and taken along the principal cutting edge
$\pi_{\mathrm{O}}=$ Orthogonal plane; plane perpendicular to both $\pi_{\mathrm{R}}$ and $\pi_{\mathrm{C}}$
and the axes;
$X_{0}=$ along the line of intersection of $\pi_{R}$ and $\pi_{0}$
$Y_{o}=$ along the line of intersection of $\pi_{R}$ and $\pi_{C}$
$Z_{0}=$ along the velocity vector, i.e., normal to both $X_{0}$ and $Y_{0}$ axes.
The main geometrical angles used to express tool geometry in Orthogonal Rake System (ORS) and their definitions will be clear from Fig. 3.7.


Fig. 3.7 Tool angles in ORS system
Definition of -

- Rake angles [Fig. 3.7] in ORS
$\gamma_{0}=$ orthogonal rake: angle of inclination of the rake surface from Reference plane, $\pi_{\mathrm{R}}$ and measured on the orthogonal plane, $\pi_{\mathrm{o}}$
$\lambda=$ inclination angle; angle between $\pi_{c}$ from the direction of assumed longitudinal feed $\left[\pi_{\mathrm{x}}\right]$ and measured on $\pi_{\mathrm{c}}$
- Clearance angles [Fig. 3.7]
$\alpha_{o}=$ orthogonal clearance of the principal flank: angle of inclination of the principal flank from $\pi_{\mathrm{c}}$ and measured on $\pi_{\mathrm{o}}$
$\alpha_{o}{ }^{\prime}=$ auxiliary orthogonal clearance: angle of inclination of the auxiliary flank from auxiliary cutting plane, $\pi c^{\prime}$ and measured on auxiliary orthogonal plane, $\pi_{\mathrm{o}}{ }^{\prime}$ as indicated in Fig. 3.8.
- Cutting angles [Fig. 3.7]
$\phi=$ principal cutting edge angle: angle between $\pi_{c}$ and the direction of assumed longitudinal feed or $\pi_{x}$ and measured on $\pi_{\mathrm{R}}$
$\phi_{1}=$ auxiliary cutting angle: angle between $\pi_{c}$ ' and $\pi_{\mathrm{x}}$ and measured on $\pi_{\mathrm{R}}$
- Nose radius, $r$ (mm)
$r=$ radius of curvature of tool tip


Fig. 3.8 Auxiliary orthogonal clearance angle

## - Normal Rake System - NRS

This system is also known as ISO - new.
ASA system has limited advantage and use like convenience of inspection. But ORS is advantageously used for analysis and research in machining and tool performance. But ORS does not reveal the true picture of the tool geometry when the cutting edges are inclined from the reference plane, i.e., $\lambda \neq 0$. Besides, sharpening or resharpening, if necessary, of the tool by grinding in ORS requires some additional calculations for correction of angles.

These two limitations of ORS are overcome by using NRS for description and use of tool geometry.
The basic difference between ORS and NRS is the fact that in ORS, rake and clearance angles are visualized in the orthogonal plane, $\pi_{0}$, whereas in NRS those angles are visualized in another plane called Normal plane, $\pi_{N}$. The orthogonal plane, $\pi_{0}$ is simply normal to $\pi_{R}$ and $\pi_{c}$ irrespective of the inclination of the cutting edges, i.e., $\lambda$, but $\pi_{N}$ (and $\pi_{N}$ ' for auxiliary cutting edge) is always normal to the cutting edge. The differences between ORS and NRS have been depicted in Fig. 3.9.
The planes of reference and the coordinates used in NRS are:
$\pi_{R N}-\pi_{C}-\pi_{N}$ and $X_{n}-Y_{n}-Z_{n}$
where,
$\pi_{\mathrm{RN}}=$ normal reference plane
$\pi_{N}=$ Normal plane: plane normal to the cutting edge
and
$X_{n}=X_{0}$
$Y_{n}=$ cutting edge
$Z_{n}=$ normal to $X_{n}$ and $Y_{n}$
It is to be noted that when $\lambda=0$, NRS and ORS become same, i.e. $\pi_{0} \cong \pi_{N}$, $Y_{N} \cong Y_{0}$ and $Z_{n} \cong Z_{0}$.
Definition (in NRS) of

- Rake angles
$\gamma_{\mathrm{n}}=$ normal rake: angle of inclination angle of the rake surface from $\pi_{\mathrm{R}}$ and measured on normal plane, $\pi_{\mathrm{N}}$
$\alpha_{n}=$ normal clearance: angle of inclination of the principal flank from $\pi_{c}$ and measured on $\pi_{N}$
$\alpha_{n}{ }^{\prime}=$ auxiliary clearance angle: normal clearance of the auxiliary flank (measured on $\pi_{\mathrm{N}}$ - plane normal to the auxiliary cutting edge.
The cutting angles, $\phi$ and $\phi_{1}$ and nose radius, $r(m m)$ are same in ORS and NRS.


Fig. 3.9 Differences of NRS from ORS w.r.t. cutting tool geometry.
(b) Designation of tool geometry

The geometry of a single point tool is designated or specified by a series of values of the salient angles and nose radius arranged in a definite sequence as follows:

Designation (signature) of tool geometry in

- ASA System -

$$
\gamma_{y}, \gamma_{x}, \alpha_{y}, \alpha_{x}, \phi_{e}, \phi_{s}, r \text { (inch) }
$$

- ORS System -

$$
\lambda, \gamma_{0}, \alpha_{0}, \alpha_{0}^{\prime}, \phi_{1}, \phi, r(\mathrm{~mm})
$$

- NRS System -

$$
\lambda, \gamma_{\mathrm{n}}, \alpha_{\mathrm{n}}, \alpha_{\mathrm{n}}^{\prime}, \phi_{1}, \phi, r(\mathrm{~mm})
$$

## Exercise - 3

## Quiz Test:

Select the correct answer from the given four options :

1. Back rake of a turning tool is measured on its
(a) machine longitudinal plane
(b) machine transverse plane
(c) orthogonal plane
(d) normal plane
2. Normal rake and orthogonal rake of a turning tool will be same when its
(a) $\phi=0$
(b) $\phi_{1}=0$
(c) $\lambda=0$
(d) $\phi_{1}=90^{\circ}$
3. Normal plane of a turning tool is always perpendicular to its
(a) $\pi_{X}$ plane
(b) $\pi_{Y}$ plane
(c) $\pi_{c}$ plane
(d) none of them
4. Principal cutting edge angle of any turning tool is measured on its
(a) $\pi_{R}$
(b) $\pi_{Y}$
(c) $\pi_{X}$
(d) $\pi_{0}$
5. A cutting tool can never have its
(a) rake angle - positive
(b) rake angle - negative
(c) clearance angle - positive
(d) clearance angle - negative
6. Orthogonal clearance and side clearance of a turning tool will be same if its perpendicular cutting edge angle is
(a) $\phi=30^{\circ}$
(b) $\phi=45^{\circ}$
(c) $\phi=60^{\circ}$
(d) $\phi=90^{\circ}$
7. Inclination angle of a turning tool is measured on its
(a) reference plane
(b) cutting plane
(c) orthogonal plane
(d) normal plane
8. Normal rake and side rake of a turning tool will be same if its
(a) $\phi=0^{\circ}$ and $\lambda=0^{\circ}$
(b) $\phi=90^{\circ}$ and $\lambda=0^{\circ}$
(c) $\phi=90^{\circ}$ and $\lambda=90^{\circ}$
(d) $\phi=0^{\circ}$ and $\lambda=90^{\circ}$

Answer of the objective questions

| 1-(b) |
| :---: |
| 2 - (c) |
| 3 - (c) |
| 4 - (a) |
| 5 - (d) |
| 6 - (d) |
| 7 - (b) |
| 8 - (b) |

